A Statistical Comparison Between Proton Microinstabilities and Nonlinear Effects in Space Plasmas

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Abstract

Using Particle-In-Cell (PIC) simulations and observational data from Magnetospheric MultiScale (MMS) Mission and WIND, we calculate and compare proton-temperatureanisotropy driven linear-instability growth rate and non-linear time scale for every available pointwise sample.

The linear growth rates are computed using a linear Vlasov solver. The non-linear time scales are evaluated from increments with spatial lag of the proton-inertial length. We observe that both linear and non-linear time scales are distributed intermittently in space, with enhanced values near current sheets. However, for the micro-instabilities to have any dynamically significant effect, it is essential for the instabilities to grow sufficiently faster than the local non-linear processes. For only a small fraction of the available samples, linear time scales become faster than the computed non-linear time scales. These results imply that proton-microinstabilities, when present, probably do not modify the large-scale dynamics in the evolution of a turbulent plasma.

Introduction

Temperature Anisotropy: Ratio of perpendicular to parallel components of temperature

Parallel beta: Ratio of parallel thermal density to magnetic energy density

Linear growth rate: Imaginary part of the solutions to the linear dispersion relation derived using Vlasov equation

$$\gamma_{\max} \equiv \max_{\mathbf{k}} \Im(\omega)$$

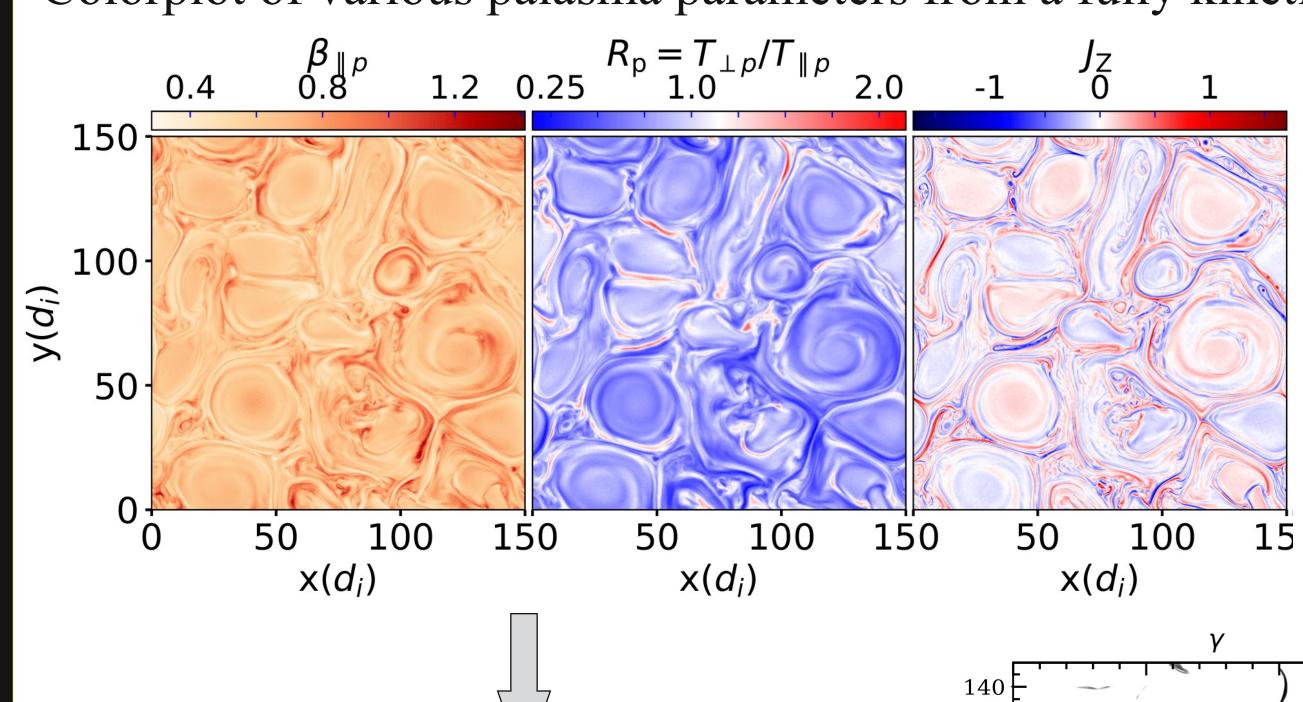
Non-linear growth rate: $\tau_{\rm nl}({\bf r}) \sim \ell/\delta b_{\ell}$

where $\delta b_{\ell} = |\hat{\boldsymbol{\ell}} \cdot [\mathbf{b}(\mathbf{r} + \boldsymbol{\ell}) - \mathbf{b}(\mathbf{r})]|$

Results from 2.5D PIC simulations

Initial conditions: $\beta_p = \beta_e = 0.6$, $T_p = T_e R_p = 1$, $N_x = N_y = 4096$, n = 3200/cell, $\delta b = 0.5 B_0$, $\delta v = 0.5 V_0$

Colorplot of various palasma parameters from a fully kinetic 2.5D PIC simulation.

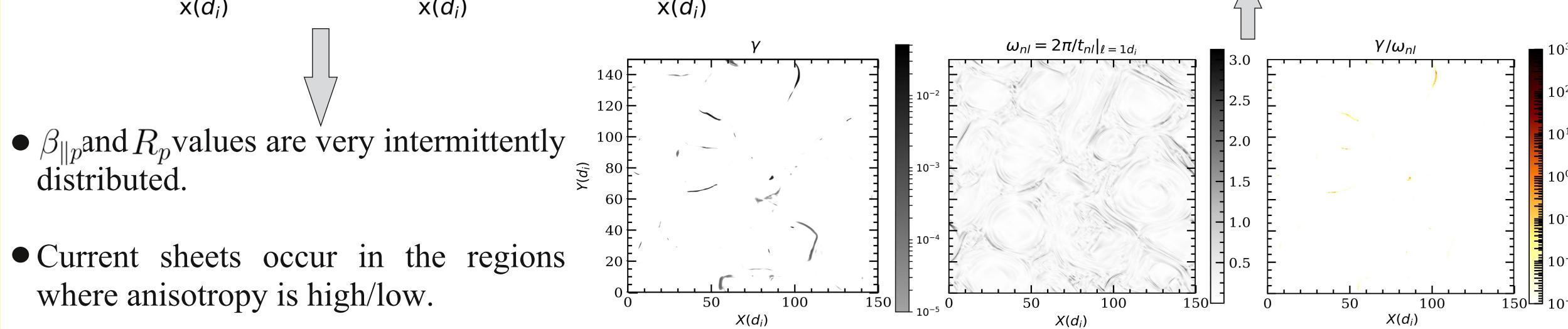


Current sheets occur in the regions

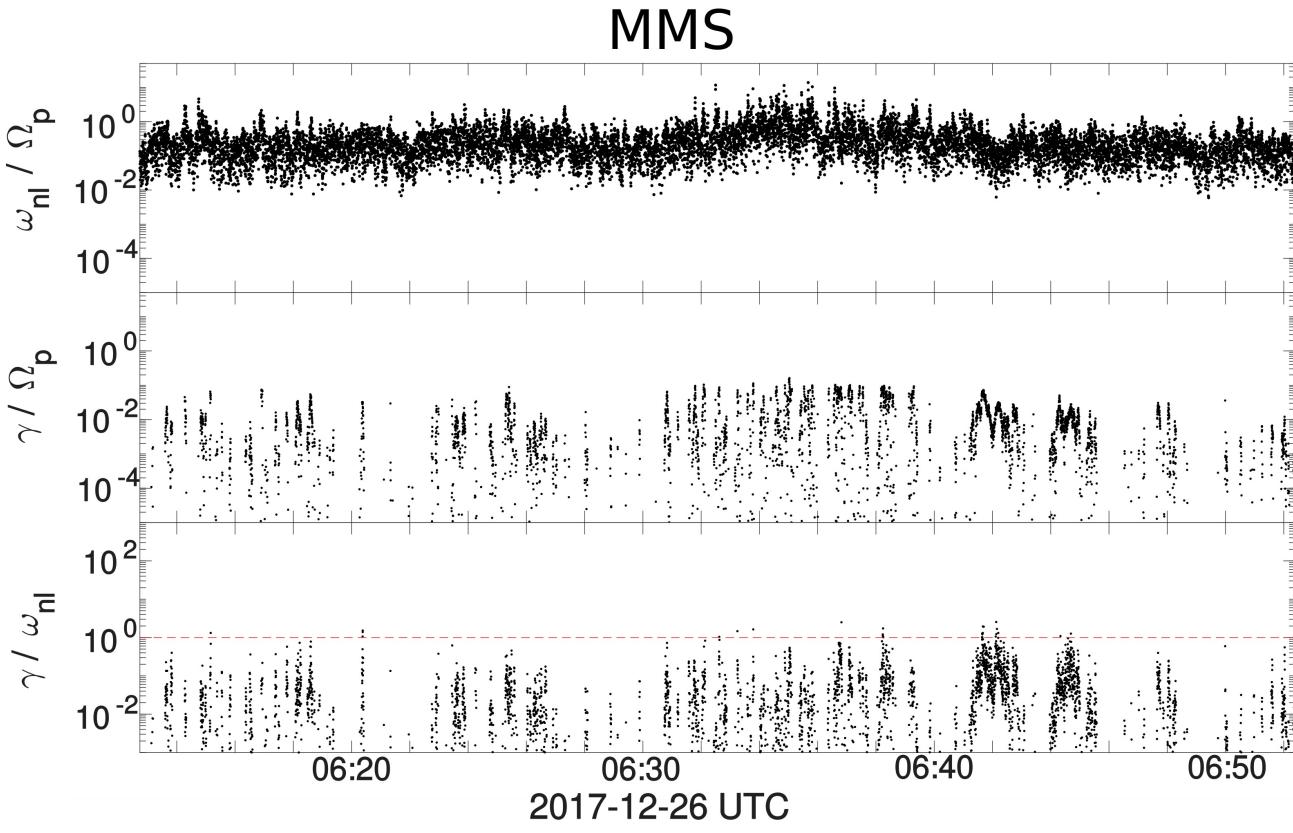
where anisotropy is high/low.

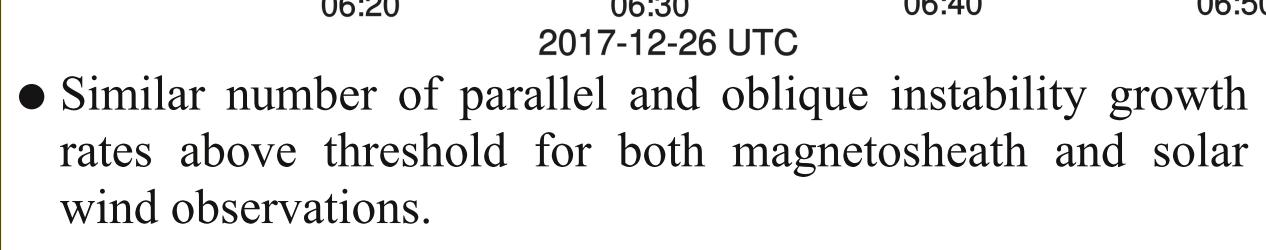
distributed.

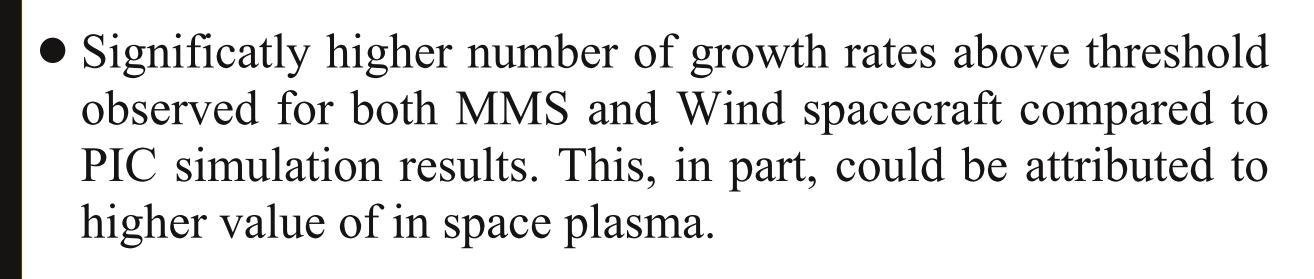
- Extreme values of growth rates occur in the regions close to current sheets, though not exactly on top of
- Significantly larger value of non-linear time scale compared to the linear time scales.
- Very few points where linear time scales are faster than the non-linear times



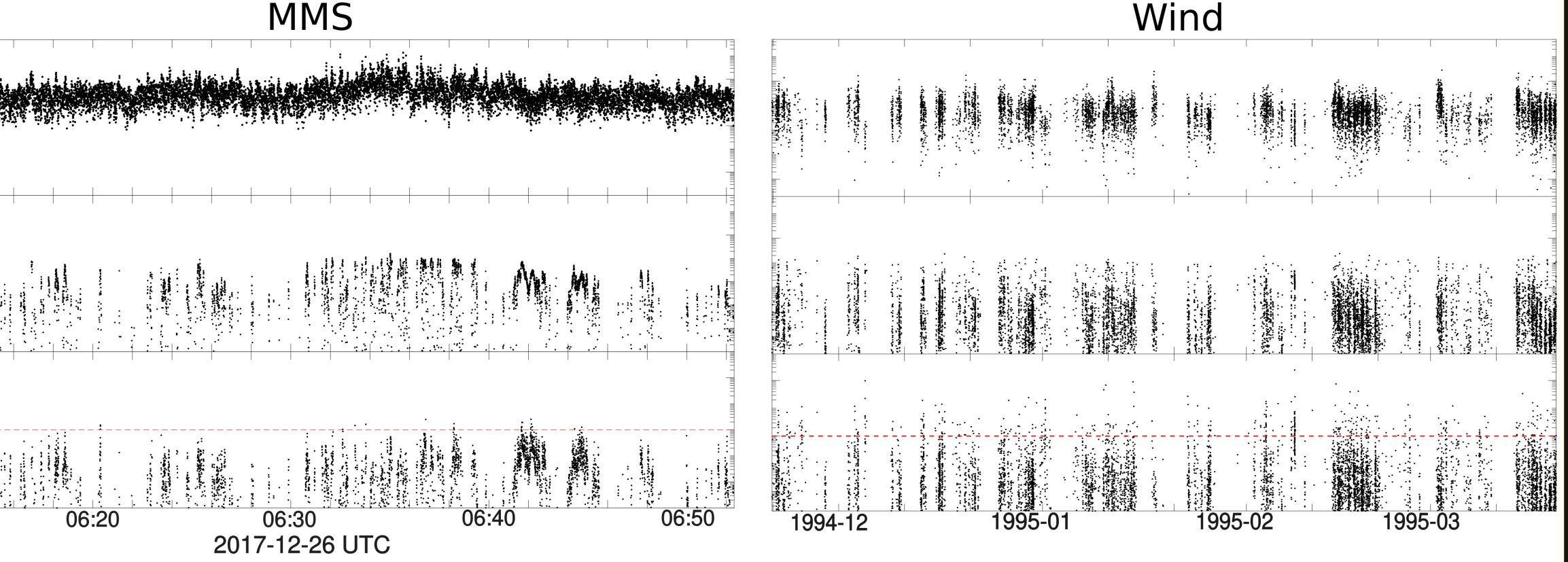
Results from MMS and WIND







• Intermittent structure is observed for both MMS and



Wind, implying similar driving mechanism in space plasma as PIC simulation.

- Very few points where linear time scales dominate compared to non-linear scales. (< 1%)
- Distribution of $\gamma_{\rm max}$ in two observations in time are very similar supporting the scale independence of turbulent structures and potentially fractal nature.

Conclusion and Discussion

- In all cases, simulation as well data from MMS and Wind, we find that the microinstabilities occur intermittently in the plasma.
- Simulation shows indications that the instabilities preferentially occur near current sheets.
- This suggests that, though microinstabilities affect the plasma globally, they act locally and develop in response to extreme temperature anisotropies generated by turbulent struc-
- For the most part, non-linear time scale dominates over linear time scale.
- Distribution of growth rates in both the spacecraft measurements supports the scale independence of turbulence.

Future Work

- Study the correlation between and J₂, by using the propinquity method.
- Study the distribution of the width of growth rates from both simulation as well as MMS data.
- Take into account other ion species with more sophisticated treatment of the VDFs
- Consider the wavelengths obtained from the linear Vlasov solver and compare them to the relevant lengthscales in real space

References and Acknowledgements

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